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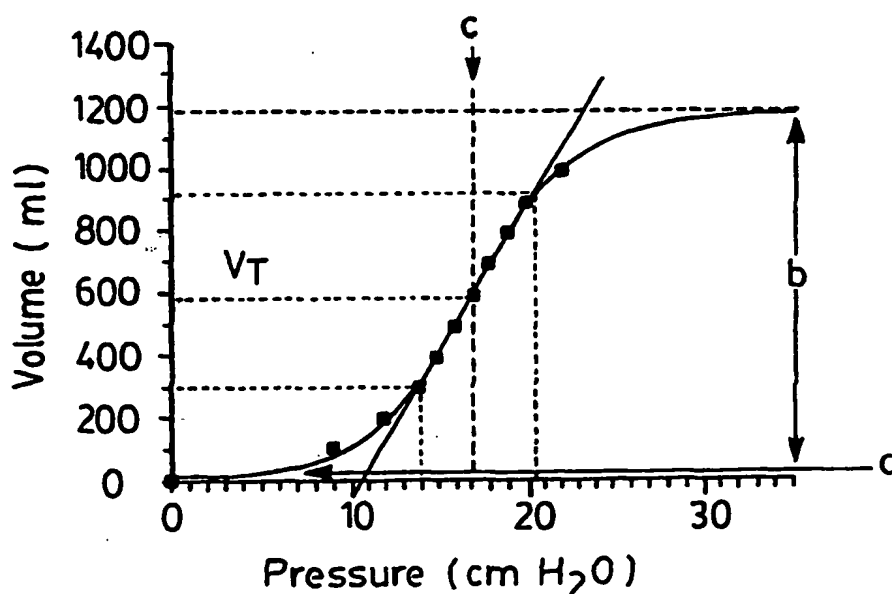
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(54) Title: IMPROVED CONTROL OF LIFE SUPPORT SYSTEMS



(57) Abstract: The flow of a biological fluid, including ventilation gas and blood, to an organ during controlled life support condition is controlled. For ventilation, a static pressure volume curve for the patient is established in accordance with the Venegas equation, a predetermined pattern of variation over time of the instantaneous respiratory rate and tidal volume from spontaneously-functioning normal lungs of a mammalian species established, data is selected from the pattern which satisfies a specific relationship with respect to the pressure/volume curve, and the patient is ventilated in accordance with the selected data.



WO 01/68162 A2

TITLE OF INVENTION  
IMPROVED CONTROL OF LIFE SUPPORT SYSTEMS

FIELD OF INVENTION

5       The present invention relates to life support systems, in which a biological fluid flows to an organ, and, in particular, to the control of mechanical ventilation and to the control of cardiopulmonary bypass pumps for open heart surgery.

BACKGROUND TO THE INVENTION

10       Mechanical ventilation is one of the mainstays of modern medicine. Despite ubiquitous use, mechanical ventilation can be associated with deteriorating gas exchange over time in normal lungs (ref. 1). Lung damage can also occur with mechanical ventilation – so called ventilator associated lung injury (VALI) and is most common in patients with acute respiratory distress syndrome (ARDS) (ref. 2). Much attention has been directed to the latter problem and a  
15       recently completed National Heart, Lung and Blood Institute (NHLBI) study has shown the advantage of open lung – low tidal volume ( $V_T$ ) strategies for management of these patients (ref. 3). In this patent application, there is described an optimizing strategy for ventilation of patients with ARDS that can be generalized to control mode ventilation for all patients.

20       In our U.S. Patents Nos. 5,647,350, 5,941,841 and 6,027,498, the disclosure of which are incorporated herein by reference, we have described a new method of controlling the flow of a biological fluid to an organ, in which the natural variation of such flow is simulated. Specifically described are the control of a mechanical ventilator output to mimic normal breathing of healthy lungs and  
25       the control of a blood pump flow output during cardiopulmonary bypass (CPB) to mimic normal pulsatile blood flow from the heart. A pattern of variation over time of the instantaneous flow of a biological fluid to an organ of a mammalian species is established, a variable control parameter for regulation of flow of the biological fluid to the organ is generated in accordance with the pattern, and the  
30       flow of biological fluid to the organ is controlled in accordance with the variable control parameter. This mode of ventilation is termed biologically variable ventilation (BVV)

Recently it has been shown that patients with ARDS are better ventilated at a lower tidal volume, namely about 6 vs 12 ml/kg (ref. 3). The choice of 6 ml/kg was somewhat arbitrary, but associated with a plateau pressure of 30 cm H<sub>2</sub>O or less.

5

### SUMMARY OF INVENTION

In one aspect of the present invention, there is provided a method of controlling the flow of ventilation gas from a ventilator device to the lungs of a body of a patient during controlled life support conditions. The ventilation gas is the primary source of gas to maintain life support to the lungs.

10

In this invention, a static pressure/volume curve is established for the patient by any convenient means in accordance with the relationship:

$$V = a + b [1 + e^{-(P-c)/d}]^{-1}$$

where:

15

V = inflation volume

P = airway opening pressure

a = lower asymptote volume

b = total volume change

c = pressure at point of maximal compliance

20

d = value proportional to the pressure range of a straightline portion of the curve

The relationship is the so-called Venegas equation (ref. 4). A predetermined pattern of variation over time of the instantaneous respiratory rate and tidal volume is establishing from spontaneously-functioning normal lungs of a mammalian species.

25

Data from the pattern is selected which satisfies the relationship  $P = V_c \pm V_{1.317d}$  with respect to the pressure/volume curve. The patient then is ventilated in accordance with the selected data.

In more general terms, in another aspect of the invention, there is provided a method of controlling the flow of a biological fluid to an organ during controlled life support conditions. The biological fluid is the primary source of fluid to maintain life support to the organ.

30

In this aspect of the invention, a static pressure/flow curve is established for the patient by any convenient means in accordance with the equation:

$$F = a + b [1 + e^{-(P-c)/d}]^{-1}$$

where:

- 5        F = organ flow
- P = driving pressure
- a = lower asymptote flow
- b = autoregulated flow
- c = pressure at point of maximal conductance
- 10       d = value proportional to the pressure range of a straightline portion of the curve

15       A predetermined pattern of variation over time of instantaneous changes in flow of a biological fluid to a spontaneously-functioning normal organ of a mammalian species.

         Data from the pattern is selected which satisfies the relationship  $F = \frac{F}{\sqrt{1.317d}} \pm$   $\sqrt{1.317d}$ . The flow of biological fluid to the organ during controlled life support conditions then is controlled in accordance with the selected data.

20       Similar to the above procedure with respect to the lungs, a flow-pressure curve may be established for the whole body or individual organs.

         An example of such control of biological fluid to an organ is in controlling the flow of blood by a pump to a body during cardiopulmonary bypass. In this instance, a predetermined pattern of variation over time of instantaneous blood pressure and heart rate of a spontaneously-functioning healthy heart of a mammalian species is established. Data is selected from the pattern which satisfies the above relationship. The flow of blood to the heart of the patient during controlled life support conditions then is controlled in accordance with the selected data.

30       The following consequences flow from understanding of the model discussed below as set forth uniquely herein:

1. The optimal point about which to ventilate a patient is at the inflection point c. Maximal compliance occurs here. Supersyringe or comparable determination of

- compliance curves in patients permits determination of  $V$  at  $c$ . Based on the Venegas P-V curve, the  $V_T$  at a given PEEP level can be calculated. Patient  $V_T$  at point  $c$  is  $(V_{TC} - V_{PEEP})/\text{ml/kg}$ . The  $V_{TC} \pm V_{1.317d}$  to ventilate a patient can be readily determined (see Figure 1a for an example - from Eq. 4 below,  $d$  can be shown to be 3.4 cm H<sub>2</sub>O). The difference between ventilation with BVV and standard control mode can be understood by further study of Figure 1a. Assuming that a 100 kg patient is ventilated as in the NHLBI protocol at 6 ml/kg; in this circumstance  $V_T$  would be at point  $c$ , a fortuitous situation chosen in this example, with the patient ventilated in a monotonous manner at the point of maximal compliance. Ventilation under these circumstances results in recruitment to 600 ml, independent of PEEP settings. Recruitment above this point is lost, so full recruitment of the linear portion of the P-V curve is not obtained. Ventilation at 12 ml/kg in this example is clearly problematic, at a  $V_T$  of 1200 ml ventilation occurring at the upper asymptote where the risk of volutrauma is substantial if monotonously delivered at this volume.
2. Ventilation at  $V_{TC} \pm V_{1.317d}$  allows the full linear portion of the P-V curve to be generated. Variable  $V_T$  is a consequence of using variable  $f$  as generated from normal awake breathing with BVV programmed as a volume divider. A characteristic breathing file is shown in Figure 4. The tight correlation between  $Paw_i$  and  $V_T$  generated from a modulation file, as in Figure 4, is shown in Figure 5. The very high  $R^2$  value in this circumstance suggests that ventilation is occurring within the linear portion of the P-V curve in this example. The use of BVV improves gas exchange in a model of ARDS at PEEP (ref. 9), with ARDS treated with 10 cm H<sub>2</sub>O PEEP (ref. 13), reinflation of a collapsed lung after one lung ventilation (ref. 14) and during prolonged anesthesia with healthy lungs (ref. 7). Generating a P-V curve dependent on  $V_{TC} \pm V_{1.317d}$  allows mean  $V_T$  to be set as with conventional control mode ventilation, but results in improved gas exchange, maximizing alveolar recruitment, without an increase in mean airway pressure ( $Paw$ ). The  $Paw$  does not increase because of the Gaussian distribution of  $V_T$ .
3. The slope of the linear portion of the P-V curve relates to the severity of ARDS, with a depressed slope indicating worsening disease with less compliant lungs. As such,  $d$  may change as ARDS severity alters with the disease process or

therapy. Changes in  $d$  can be readily accommodated by altering the  $1/f$  slope of the BVV modulation file (see Figure 3). By altering  $d$ , changes in compliance with the disease state can be treated and thereby optimize ventilation for each patient with ARDS.

- 5 4. The optimal  $1/f$  slope to ventilate normal lungs is unclear but BVV has been shown to improve gas exchange in normal lungs during prolonged anesthesia with a  $1/f$  slope = -2.3 (ref. 7). In normal lungs, the P-V curve has a much steeper slope. As a consequence,  $d$  is proportionately small. A  $1/f$  slope of approximately -3 has been shown to correlate to  $f$  variability in normal neonates (ref. 8) and as an  
10 index of the diameter-flow relationship in the bronchial tree (ref. 15).

The variable quasi-Gaussian distribution curves utilized herein can be best obtained from normal respiratory data files of awake spontaneously breathing individuals, which may be mammalian, including human, or may be obtained from computer-generated files based on such data. Such files have been labelled  
15 normal biological variability. From such data, various standard deviations about mean values can be generated either as: 1) separate modulation files to control the ventilator in BVV mode or 2) by using a generic file which can have the standard deviation altered by ventilator software or by hardware, such as a knob to control magnitude of standard deviation or slope of the  $1/f^2$  frequency plot.

#### 20 BRIEF DESCRIPTION OF DRAWINGS

Figure 1(a) shows the pulmonary pressure-volume (P-V) curve as an integrated normal distribution. The variables are as discussed herein.

Figure 1(b) shows the normal distribution of airway opening pressure (Pao). This curve is the derivative of dimensionless curve of Figure 1(a). When  
25 Pao describes a normal distribution, the P-V curve is generated (the integral of Figure 1(b)). The solid line is a normal distribution. The dotted line is the Venegas (ref. 4) derivative function with  $\frac{5}{d\sqrt{\sigma\pi}}$  when volume is normalized to  $(V-a)/b$  and pressure is normalized to  $(P-c)/d$ , as such relationships being described below.

30 Figure 2 shows the respiratory rate ( $f$ ) frequency vs.  $f$  (breaths/min). Data were obtained during awake spontaneous breathing and scaled to a mean rate of 20 breaths/min in this Example. There were 654 consecutive breaths analyzed.



Figure 3 is a  $1/f$  noise plot of the data presented in Figure 2. As values deviate from the mean, the probability of variation (difference from mean)<sup>2</sup> decreases. The slope of the line  $a = -2.15$ . The steeper the slope the less frequent the rare events, the shallower the slope, the more frequent the rare events at the same variation.

Figure 4 shows a modulation file used to program for biologically variable ventilation (BVV). There are 654 instantaneous breaths shown. The rate has been scaled to 20 breaths/min.

Figure 5 is a graphical representation of tidal volume changes with BVV. The change  $V_T$  over time with the above modification file (measured over a 45 breath interval). The BVV module functions as a volume divider, a set minute ventilation is delivered, such that  $f \times V_T$  is constant. Thus increased  $f$  is coupled with decreased  $V_T$  and vice versa.

Figure 6 is a graphical representation of peak airway pressure changes with BVV. The  $P_{PAW}$  is matched to the  $V_T$  delivered in Figure 5.

Figure 7 is a graphical representation of a static P-V curve prepared from data downloaded from a data acquisition system.

Figure 8 is a graphical representation of a diastolic stiffness constant ( $K_p$ ) verses time period post-CPB (coronary pulmonary bypass).  $K_p$  was significantly elevated post bypass with conventional cardioplegia administration, an approximately 100% increase in stiffness. In contrast,  $K_p$  remained essentially unchanged with biologically variable administration of cardioplegia,  $P = 0.003$ ; group x time interaction.

### GENERAL DESCRIPTION OF INVENTION

#### (a) The P-V Recruitment Function:

Venegas et al. have analyzed normalized compliance curves and demonstrated that the pulmonary pressure-volume (P-V) curve can be fit with excellent precision to a modified integrated normal curve ( $R^2 = 0.997 \pm 0.02$  (SD)) (ref. 4). Based on their observations, they suggest the standard P-V curve may be thought of as a recruitment function rather than as a compliance curve. Carney et al. provide experimental evidence to support this contention (ref. 5). They demonstrate that increased lung volume with inflation by a mechanical

ventilator is 80% a consequence of recruitment and only 20% due to isotropic expansion.

The equation developed by Venegas et al. has four fitting parameters,  $a$  to  $d$ , each with physiological correlates as follows:

$$V = a + b[1 + e^{-(P-c)/d}]^{-1} \quad \text{Eq. 1}$$

Where:  $V$  = inflation or absolute lung volume

$P$  = airway opening or transpulmonary pressure

$a$  = lower asymptote volume

$b$  = vital capacity or total volume change: upper - lower asymptote

$c$  = pressure at the inflection point (point of maximal compliance)

$d$  = proportional to the pressure range where most of the volume change occurs.

This sigmoidal curve (Figure 1a) is symmetrical with respect to its inflection point  $c$ . Thus,  $c$  is the midpoint of volume  $b - a$ .

#### 15 (b) The Derivative of the P-V Recruitment Function:

Since Eq. 1 is a form of the integrated normal distribution, its derivative as demonstrated by Venegas et al. has the form:

$$\partial V / \partial P = b[e^{-(P-c)/d}] / d[1 + e^{-(P-c)/d}]^2 \quad \text{Eq. 2}$$

Graphing the dimensionless curve  $\partial(V-a)/b$  vs  $(P-c)/d$  results in a standard Gaussian distribution. The point  $c$  is the peak of the bell curve, the true inflection point and the point of maximal compliance (Figure 1(b)). When  $P = c$  then:

$$c = b/4d \quad \text{Eq. 3}$$

From this relationship,  $d$  can be calculated because maximal compliance is defined as the slope of the tangent at point  $c = \partial V / \partial P$ . Therefore:

$$d = b/4(\partial V / \partial P)_c \quad \text{Eq. 4}$$

It can also be shown that standard deviation ( $\sigma$ ) of the normal distribution is proportional to  $d$  such that:

$$d = \sigma\pi^{1/2}. \quad \text{Eq. 5}$$

Thus,  $d$  is a measure of the standard deviation of the normalized pressure curve.

The implication of the above analysis is that, when change in airway opening pressure ( $P_{ao}$ ) displays a Gaussian distribution, a sigmoidal P-V curve with lower and upper inflection points is generated as a consequence. As stated in

their article "This observation gives a basis to the intriguing possibility that the sigmoidal shape of the inflation limb of the P-V curve in ARDS could be reflecting the progressive recruitment of alveolar units with a distribution of Pao that follows a normal distribution (ref. 4)." Interestingly, in a follow up article  
5 using their curve fitting model to analyze patients with ARDS, Harris et al. state: "There is no physiologic reason why the shape of the P-V curve must have such symmetry (ref. 6)." We contend that their initial observation is correct and that if Pao follows a Gaussian distribution, then a symmetrical P-V curve is mandated mathematically. This result is a consequence of the fact that the antiderivative of  
10 the normal distribution (Gaussian Pao) becomes the integrated normalized curve (P-V curve). In essence, when Pao has a normal distribution, this function serves as the algorithm to generate the sigmoidal P-V curve.

Generating P-V curves and fitting to the Venegas equation permits individualized management of patients with ARDS. Calculation of point  $c \pm$   
15  $1.317d$  gives values of Pao whereby ventilation is centered about the point of maximal compliance and defines the range where respiratory system compliance is essentially linear. Ventilation with  $V_T$ s that generate Pao between  $c \pm 1.317d$ , would minimize the consequences of atelectrauma and volutrauma. Reflection of the Pao range onto the ordinate defines the range of  $V_T$ s that are optimal for  
20 ventilation of a patient with ARDS as calculated from their P-V curve. Examination of Figure 1a shows how such an optimal  $V_T$  range is calculated.  $V_T$  reflected from point  $c \pm 1.317d$  is approximately  $600 \pm 300$  ml. Over this range of  $V_T$  the linear portion of the P-V curve is generated. During lung inflation, how best to deliver this range of volumes associated with linear compliance? A  
25 centering  $V_T$  equal to that volume at point  $c$  maximizes compliance for an individual patient. Volume recruitment can be maximized by ventilation to  $V_{+1.317d}$ , the volume associated with the point of maximal change in compliance ( $P_{mci}$ ) as defined by Venegas, but monotonously regular delivery of such large volumes are detrimental as recently described in the NHLBI study. A Gaussian  
30 distribution of  $V_T$ s with mean  $V_T$  centered at point  $c$  can generate the linear point of the P-V curve without the problems associated with monotonously regular

ventilation. Such a ventilatory strategy is provided by biologically variable ventilation (BVV).

**( c ) Pao and Biologically Variable Ventilation:**

Awake, spontaneous breathing is associated with quasi-Gaussian  
 5 distributions in respiratory rate ( $f$ ) and  $V_T$ . These respiratory variables have been  
 examined in terms of  $1/f$  frequency distribution plots (refs. 7 and 8). The  
 relationship between these two demonstrations of variation in such respiratory  
 data is shown in Figure 2 and 3. The quasi-Gaussian frequency plot of  $f$  data  
 from awake spontaneous breathing is shown in Figure 2 and the  $1/f$  noise plot is  
 10 shown in Figure 3. We have used such normal variation in  $f$  to program a  
 mechanical ventilator to vary  $V_T$  and thus Pao (refs. 7 and 9). Under these  
 circumstances, the correlation between  $V_T$  and mean inspiratory airway pressure  
 ( $P_{aw_i}$ ) is shown in Figure 5. We have called a ventilator programmed in such a  
 manner biologically variable ventilation or BVV and is generally and specifically  
 15 described in aforementioned U.S. Patent No. 5,647,350.

Marini and Ravenscraft have documented the relationship between  $P_{aw_i}$   
 and mean alveolar pressure ( $P_A$ )(ref. 10). In the absence of PEEP, both are related  
 to the pressure measured at the airway opening or Pao provided that inspiratory  
 and expiratory resistances are equal. If not the following equation applies:

$$20 \quad P_A = P_{aw_i} (T_i/T_T) + V_E/60 \cdot (R_E - R_I) \quad \text{Eq. 6}$$

Where:  $T_i$  = inspiratory time

$T_T$  = total respiratory cycle time

$V_E$  minute ventilation

$R_E$  expiratory resistance

25  $R_I$  = inspiratory resistance

With BVV,  $V_E$  remains fixed by design as the ventilator functions as a  
 volume divider with a constant  $f \times V_T$  product. As well,  $T_i:T_T$  is designed to  
 remain fixed at 1:3. Disparities in  $R_E$  and  $R_I$  are not usually clinically important at  
 normal levels of ventilation (ref. 11). With  $R_E$  and  $R_I$  not different, the second  
 30 term in Eq. 6 cancels out. At fixed  $T_i/T_T$ ,  $P_A$  and  $P_{aw_i}$  are linearly related.  
 Therefore, with BVV, measured  $P_{aw_i}$  under most circumstances is an accurate  
 index of Pao. Thus, BVV is a volume cycled control mode ventilator that

generates quasi-Gaussian airway pressures. Appropriate selection of a range of  $V_{Ts}$  based on calculation from the Venegas equation allows ventilation over the linear range of the P-V curve - improving gas exchange and respiratory mechanics in a variety of experimental settings as outlined below.

- 5           Using another theoretical model, Suki et al. have demonstrated that the variable end inspiratory pressure with BVV can recruit atelectatic lung units seen with ARDS (ref. 12).

Clearly a variety of strategies can generate the range of  $V_{Ts}$  associated with ventilation over the linear portion of the P-V curve in a patient with ARDS.

- 10          A number of advantages occur with a Gaussian distribution of  $V_T$ :

1.       Physiologically normal breathing patterns have a Gaussian distribution for  $V_T$ . BVV takes advantage of such naturally occurring breathing frequency distributions (see Figure 2) to generate quasi-Gaussian  $V_T$ .
- 15       2.       A Gaussian distribution of  $V_{Ts}$  can be centered about that  $V_T$  associated with maximal compliance for each patient with ARDS. Higher and lower  $V_{Ts}$  within the linear range of pressures are also generated but at steeply decreasing frequency. As the inspiratory P-V curve is linear over this range, airway pressure averaged over time is equal to that seen at point  
20       c, since the higher pressures associated with volume recruitment are balanced by the lower pressures seen with derecruitment.
- 25       3.       The distribution of  $V_{Ts}$  is naturally determined from awake spontaneously breathing subjects. A random allocation of  $V_T$  - as in white noise - would increase the frequency of pressures at the extreme range of the linear portion of the P-V curve - potentially increasing the risk of  
atelectrauma and volutrauma. The advantage of a Gaussian distribution of  $V_{Ts}$  is evident with changes in lung compliance with evolving severity of ARDS. With a Gaussian distribution of  $V_T$  with BVV,  $P_{ao}$  at point c  $\pm$  1.317d does not cause ventilation to occur beyond the upper or lower  
30       inflection points, minimizing the risk of atelectrauma and volutrauma.

In summary of this invention, biologically variable ventilation leads to a quasi-Gaussian distribution of airway pressure. A Gaussian distribution of  $P_{ao}$

generates a full sigmoidal pulmonary P-V curve. Understanding the implications of the Venegas equation (both the derivative and the antiderivative or integral form) theoretically explains why BVV is effective. BVV has improved gas exchange in a broad spectrum of experimental conditions. Using the Venegas equation to fit generated P-V curves, in concert with BVV, may improve management of patients with ARDS. Use of BVV at individualized  $V_{Tc} \pm V_{1.317d}$  centered about the inflection point  $c$  may maximize alveolar recruitment without an increased risk of lung damage. In addition, improved gas exchange and respiratory mechanics in healthy patients requiring prolonged ventilation under anesthesia is also possible with BVV.

The above description has referred specifically to an embodiment of the invention concerned with ventilators and to providing improved mechanical ventilation with BVV utilizing the Venegas equation. The same analysis can also be applied to cardiopulmonary bypass (CPB) utilizing biologically variable pulsation (BVP) adapting the Venegas equation to pressure-flow rather than pressure volume, in accordance with another specific embodiment of the invention, as discussed below.

In the broad scope of the invention, the control of the flow of biological fluid to an organ utilizing a biologically variable control parameter can be improved.

Referring to the blood pump embodiment of the invention, we have previously demonstrated improved bypass with our BVP module (refs. 16, 17) as described in USP 5,647,350. An explanation for the nature of the cerebral lesion associated with CPB has also been delineated by us (ref. 18).

The integrated normal curve that describes the P-V curve in the paper by Venegas et al (ref. 14) can also be applied to flow-pressure curves used to describe circulatory beds (see Figure 4 in ref. 17). Thus, generating a  $1/f^a$  plot of perfusion pressure, a quasi-Gaussian curve generates the full lower end of the autoregulatory curve of the flow-pressure curve in the brain and the lower end of the flow-pressure curve for all vascular beds. The ideal way to obtain such a Gaussian distribution is to use pressure data or computer-generated data based on normal pressure variations obtained from awake individuals, i.e. so-called

biological variability. Such data has the ideal  $1/f^a$  distribution of pressures necessary to generate the full flow-pressure curve to recruit the vascular bed. Therefore, generating a quasi-Gaussian curve of pressures when controlling flow with a perfusion pump will improve flow to all vascular beds, over and above  
5 prior claims for CPB.

A BVP module can be used to advantage in accordance with the present invention in the following additional specific applications:

1. Administration of Cardioplegia Solution: When cardioplegia solution is administered using a BVP module, improved protection of the myocardium  
10 occurs. Diastolic stiffness is less by BVV administration of cardioplegia (see Fig. 8).
2. Administration of Preservation Fluids to extend ex-Vivo Organs for Transplantation: When ex-vivo organs are planned for transplantation, perfusion with appropriate solutions using a BVP module can extend their ex-vivo life. This  
15 application permits a wider distribution of ex-vivo organs for transplantation.
3. Renal Dialysis: Improved dialysis for patients with renal failure is possible by perfusion of the dialysis membrane using a BVP module.

#### EXAMPLE

20 This example illustrates the use of BVV employing the low ventilation approach of NHLBI.

Our approach can optimize ventilation at low tidal volumes similar to those chosen from the NHLBI study (ref. 3) to maintain plateau pressure less than 30 cm H<sub>2</sub>O by choosing the point of maximal curvature of the P-V curve ( $V_c -$   
25  $V_{1.317d}$ ). Ventilation about this point is where recruitment can be optimized with biologically variable ventilation (BVV) because non-linear recruitment is greatest above the point and decruitment is minimized below this point.

Curve fitting from static P - V data is shown in the curve of Figure 7. Data was downloaded from a data acquisition system as described in the  
30 aforementioned US Patent No. 5,647,350 to a program for non-linear regression analysis. Data was fit to the Venegas equation (refs. 4, 6). Calculation of the equation was based on curve fitting to the Levenberg - Marquardt algorithm.

When airway pressure is at  $c - 1.317 d$ , the point of maximum compliance increase ( $P_{mci}$ ) occurs. In this example, the tidal volume was calculated to be 295 ml.

The animal weight (pig) was 30 kg and hence the tidal volume chosen was 9.8 ml/kg. The minute ventilation set for biologically variable ventilation (BVV) in accordance with USP 5,647,350 was then determined to be the centering respiratory rate x tidal volume, 20 breaths/min x 295 ml = 5.9 l/min. In this example, at this minute ventilation, the tidal volume oscillated about a mean value of 20 with a range of 9 to 36 breaths/min. (refs. 13, 14, 20). Because  $P_{mci}$  is where maximal curvature occurs, an optimal increase in recruited tidal volume occurs by oscillating tidal volume about this point (refs. 4, 12).

#### SUMMARY OF DISCLOSURE

In summary of this disclosure, the present invention provides an improved control of the flow of a biological fluid to an organ utilizing a biologically variable control parameter, for example, biologically variable ventilation and biologically variable pulsation. Modifications are possible within the scope of this invention.



REFERENCES

1. Hedenstierna G. Gas exchange pathophysiology during anesthesia. In: Breen PH, ed. *Anesthesiology Clinics of North America*, Philadelphia: W.B. Saunders Company, 1998: 113-127.
2. Dreyfuss D, Saumon G. Ventilator-induced lung injury. *Am J Respir Crit Care Med* 1998; 157: 294-323.
3. The Acute Respiratory Distress Syndrome Network: Ventilation with lower tidal volumes as compared with traditional tidal volumes for acute lung injury and the acute respiratory distress syndrome. *N. Engl. J. Med.* 2000; 342:1301 to 8.
4. Venegas JG, Harris RS, Simon BA. A comprehensive equation for the pulmonary pressure-volume curve. *J Appl Physiol* 1998; 84: 389-395.
5. Carney DE, Bredenberg CE, Schiller HJ, et al. The mechanism of lung volume change during mechanical ventilation. *Am J Respir Crit Care Med* 1999; 160: 1697-1702.
6. Harris RS, Hess DR, Venegas JG. An objective analysis of the pressure-volume curve in the acute respiratory distress syndrome. *Am J Respir Crit Care Med* 2000; 161: 432-439.
7. Mutch WAC, Eschun G, Kowalski SE, Graham MR, Girling LG, Lefevre GR. Biologically variable ventilation prevents deterioration of gas exchange during prolonged anaesthesia. *Br J Anaesth* 2000; 84: 197-203.
8. Frey U, Silverman M, Barabási A-L, Suki B. Irregularities and power law distributions in the breathing pattern in preterm and term infants. *J Appl Physiol* 1998; 86: 789-797.
9. Lefevre GR, Kowalski SE, Girling LG, Thiessen DB, Mutch WAC. Improved arterial oxygenation after oleic acid lung injury in the pig using a computer-controlled mechanical ventilator. *Am J Respir Crit Care Med* 1996; 154: 1567-1572.
10. Marini, J. and S. Ravenscraft. 1992. Mean airway pressure: Physiologic determinants and clinical importance - Part 1: Physiologic determinants and measurements *Crit Care Med* 20(10):1461-1472.
11. Marini, J. and S. Ravenscraft. 1992. Mean airway pressure: Physiologic determinants and clinical importance - Part 2: Clinical implications. *Crit Care Med* 20(11):1604-1616.
12. Suki B, Alencar AM, Sujeer MK, et al. Life-support system benefits from n ise. *Nature* 1998; 393: 127-128.

13. Mutch WAC, Harms S, Lefevre GR, Graham MR, Girling LG, Kowalski SE. Biologically variable ventilation increases arterial oxygenation over that seen with PEEP alone in a porcine model of ARDS. (*Crit Care Med* 2000; 2457-2464).
14. Mutch WAC, Harms S, Graham MR, Kowalski SE, Girling LG, Lefevre GR. Biologically variable or naturally noisy mechanical ventilation recruits atelectatic lung. (*Am J Respir Crit Care Med* 2000; 162:319-323).
15. Kitaoka H, Suki B. Branching design of the bronchial tree based on a diameter-flow relationship. *J Appl Physiol* 1997; 82: 968-976.
16. Mutch, WAC, Lefevre GR, Thiessen DB, Girling LG, Warrian RK. Computer-controlled cardiopulmonary bypass increases jugular venous oxygen saturation during rewarming. *Ann Thorac Surg* 1998; 65:59-65.
17. Mutch WAC, Warrian RK, Eschun GM, et al. Biologically variable pulsation improves jugular venous oxygen saturation during rewarming. *Ann Thorac Surg* 2000; 69:491-497.
18. Mutch WAC, Ryner LN, Kozlowski P, et al. Cerebral hypoxia during cardiopulmonary bypass: a magnetic resonance imaging study. *Ann Thorac Surg* 1997; 64: 695-701.
19. Russell J. et al., International Consensus Conferences in Intensive Care Medicine: Ventilator-associated lung injury in ARDS. *Am J Respir Crit Care Med* 1999; 160:2118-2124.
20. Mutch WAC, et al., Biologically Variable Ventilation Prevents Deterioration of Gas Exchange During Prolonged Anaesthesia. *Brit J Anaesth* 2000; 84:197-203.

CLAIMS

1. A method of controlling flow of ventilation gas from a ventilator device to the lungs of a body of a patient during controlled life support conditions, said ventilation gas being the primary source of gas to maintain life support to the lungs, said method comprising:

establishing a static pressure/volume curve for the patient in accordance with the relationship:

$$V = a + b [1 + e^{-(P-c)/d}]^{-1}$$

where:

V = inflation volume

P = airway opening pressure

a = lower asymptote volume

b = total volume change

c = pressure at point of maximal compliance

d = value proportional to the pressure range of a straightline portion of the curve

establishing a predetermined pattern of variation over time of instantaneous respiratory rate and tidal volume from spontaneously-functioning normal lungs of a mammalian species,

selecting data from the pattern which satisfies the relationship  $P = V_e \pm V_{1.317d}$  with respect to the pressure/volume curve, and

ventilating the patient in accordance with said selected data.

2. A method of controlling flow of a biological fluid to an organ during controlled life support conditions, said biological fluid being the primary source of fluid to maintain life support to the organ, said method comprising:

establishing for the patient by any convenient means in accordance with the equation:

$$\frac{F}{P} = a + b [1 + e^{-(P-c)/d}]^{-1}$$

where:

F = organ flow

P = driving pressure

a = lower asymptote flow

b = autoregulated flow

c = pressure at point of maximal

d = value proportional to the pressure range of a straightline portion of the curve

establishing a predetermined pattern of variation over time of instantaneous changes in flow of a biological fluid to a spontaneously-functioning organ of a mammalian species,

selecting data which satisfies the relationship  $F = \frac{F}{V_c} \pm \frac{F}{V_{1.317d}}$  with respect to the pressure/flow curve, and

controlling the flow of biological fluid to said organ during controlled life support conditions in accordance with said selected data.

3. The method of claim 2 wherein said biological fluid is blood and said organ is a heart of a patient and wherein said predetermined pattern is established by establishing a predetermined pattern of variation over time of instantaneous blood pressure and heart rate of a spontaneously-functioning healthy heart of a mammalian species.

4. Apparatus for controlling the flow of a biological fluid to an organ, which comprises:

means for establishing a static pressure/flow curve for the patient in accordance with the equation:

$$F = a + b [1 + e^{-(P-c)/d}]^{-1}$$

where:

$\frac{F}{V}$  = ~~biological fluid~~ organ flow volume

P = <sup>driving</sup> ~~biological fluid flow~~ pressure

a = lower asymptote flow

b = autoregulated flow

c = pressure at point of maximal ~~compliance~~ conductance

d = value proportional to the pressure range of a straightline portion of the curve

means for establishing a predetermined pattern of variations over time of instantaneous changes in flow of a biological fluid to a spontaneously-functioning normal organ of a mammalian species,

means for selecting data for said predetermined pattern which satisfies the relationship  $F = V_c \pm V_{1.317d}$  with respect to the pressure flow curve, and

means for controlling flow of a biological flow to said organ in accordance with said selected data.

5. The apparatus of claim 4 for controlling the flow of blood to a heart during controlled support conditions.

6. Apparatus for controlling the flow of ventilation gas from a ventilation device to the lungs of a body of a patient, which comprises:

means for establishing a static pressure/volume curve for the patient in accordance with the relationship:

$$V = a + b [1 + e^{-(P-c)/d}]^{-1}$$

where:

V = inflation volume

P = airway opening pressure

a = lower asymptote volume

b = total volume change

c = pressure at point of maximal compliance

d = value proportional to the pressure range of a straightline portion of the curve

means for establishing a predetermined pattern of variation over time of instantaneous respiratory rate and tidal volume from spontaneously-functioning normal lungs of a mammalian species,

v means for selecting data from the pattern which satisfies the relationship  $P = V_c \pm V_{1.317d}$  with respect to the pressure/volume curve, and

means for ventilating the patient in accordance with the selected data.

1/8

FIG. 1 (a)

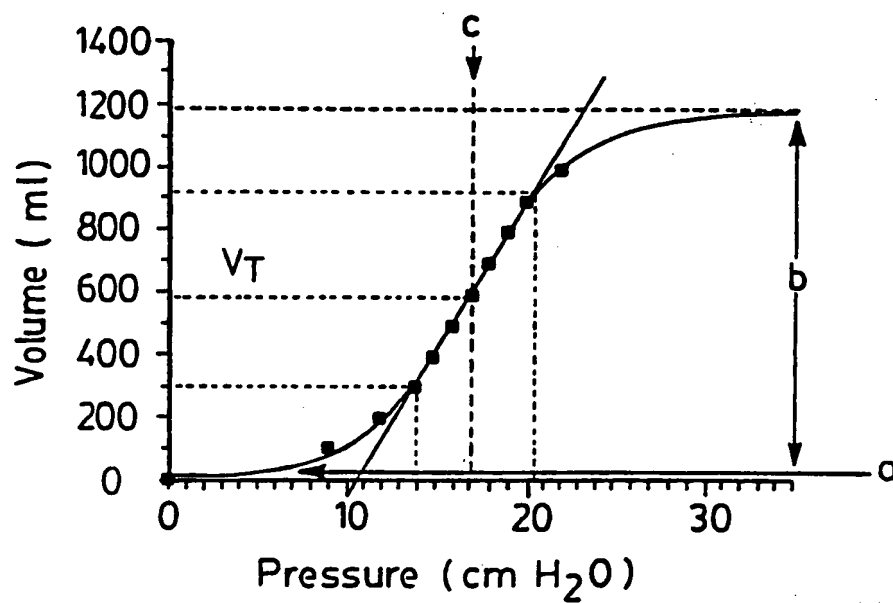
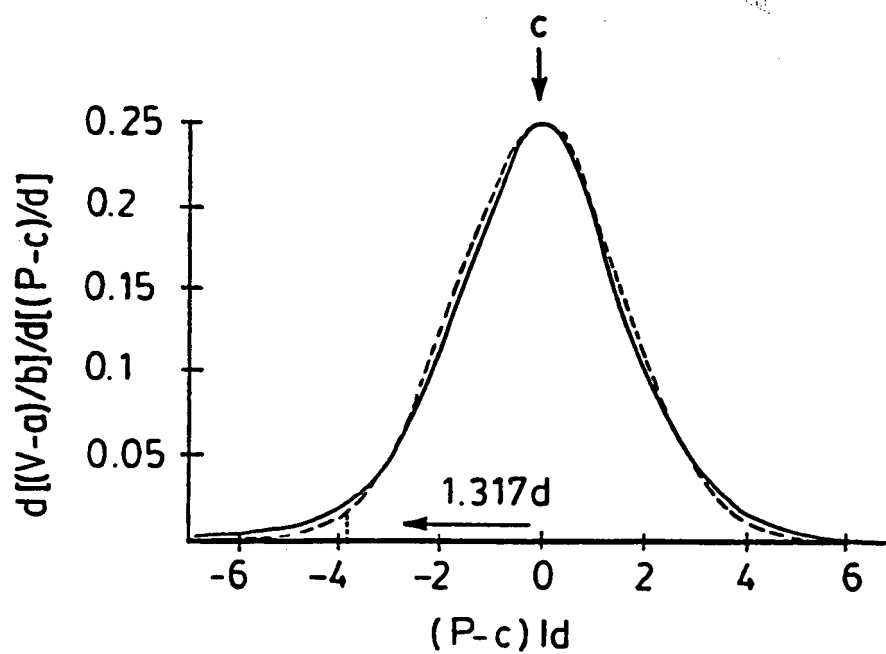
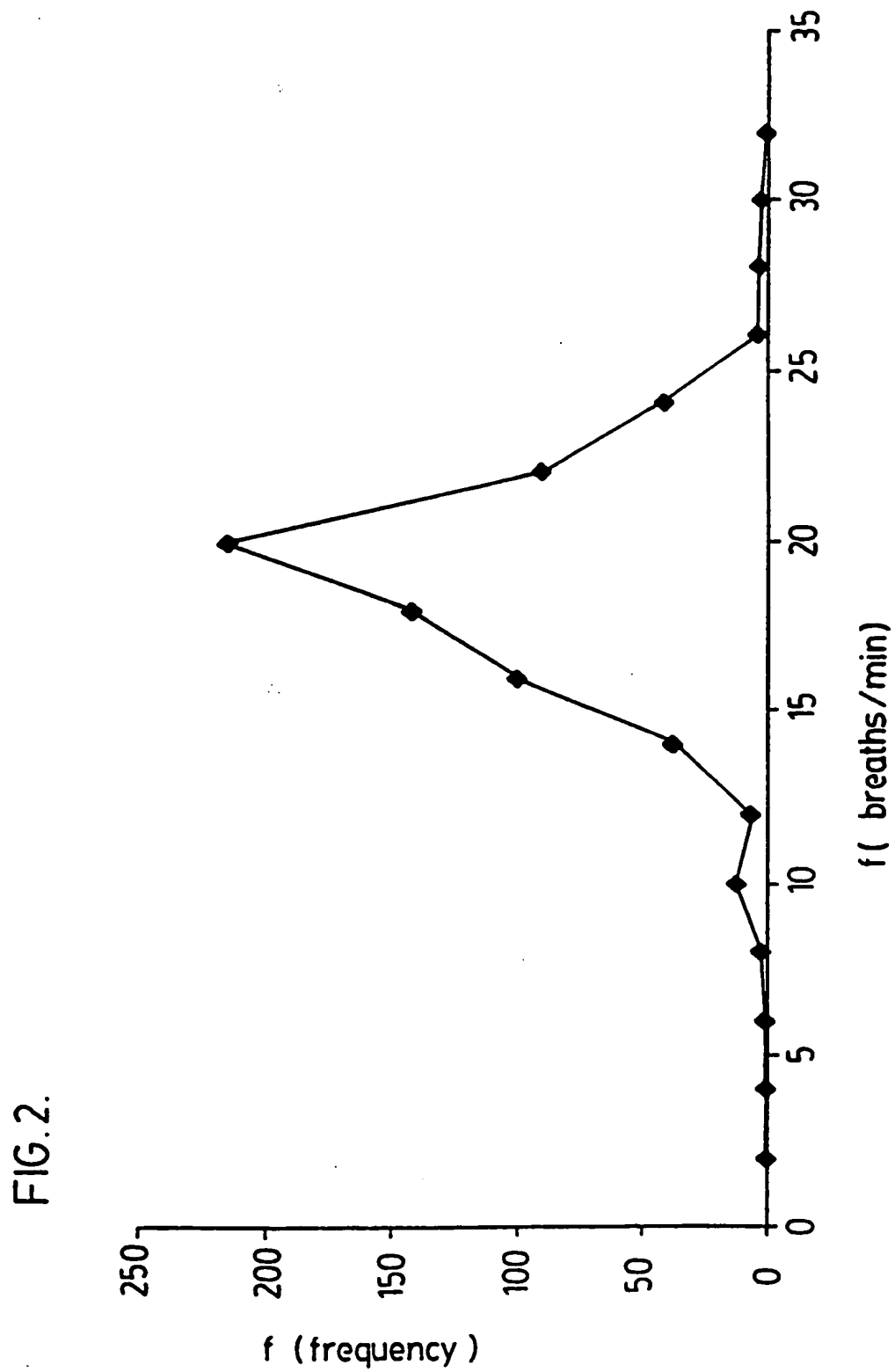


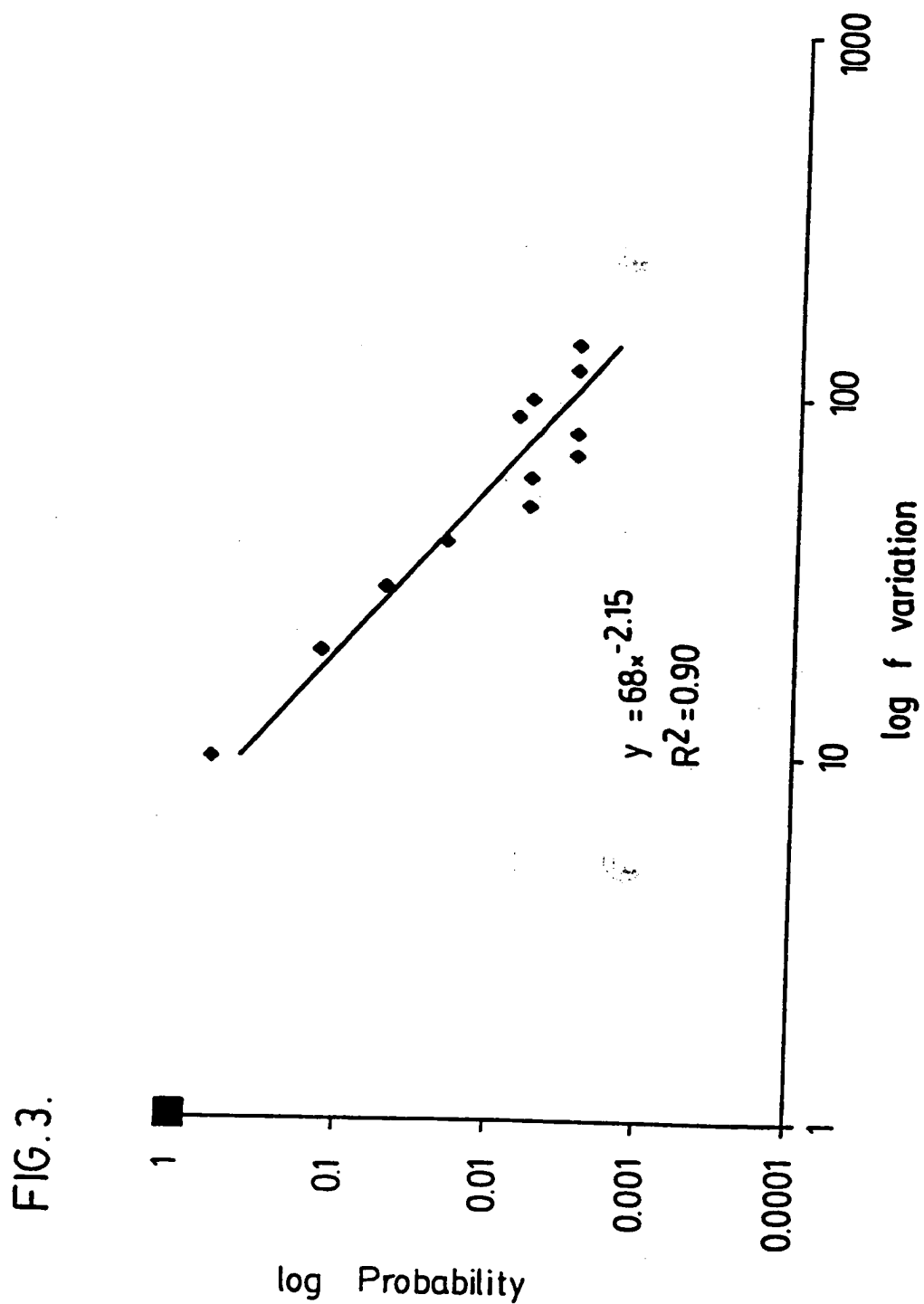
FIG. 1(b)



2/8



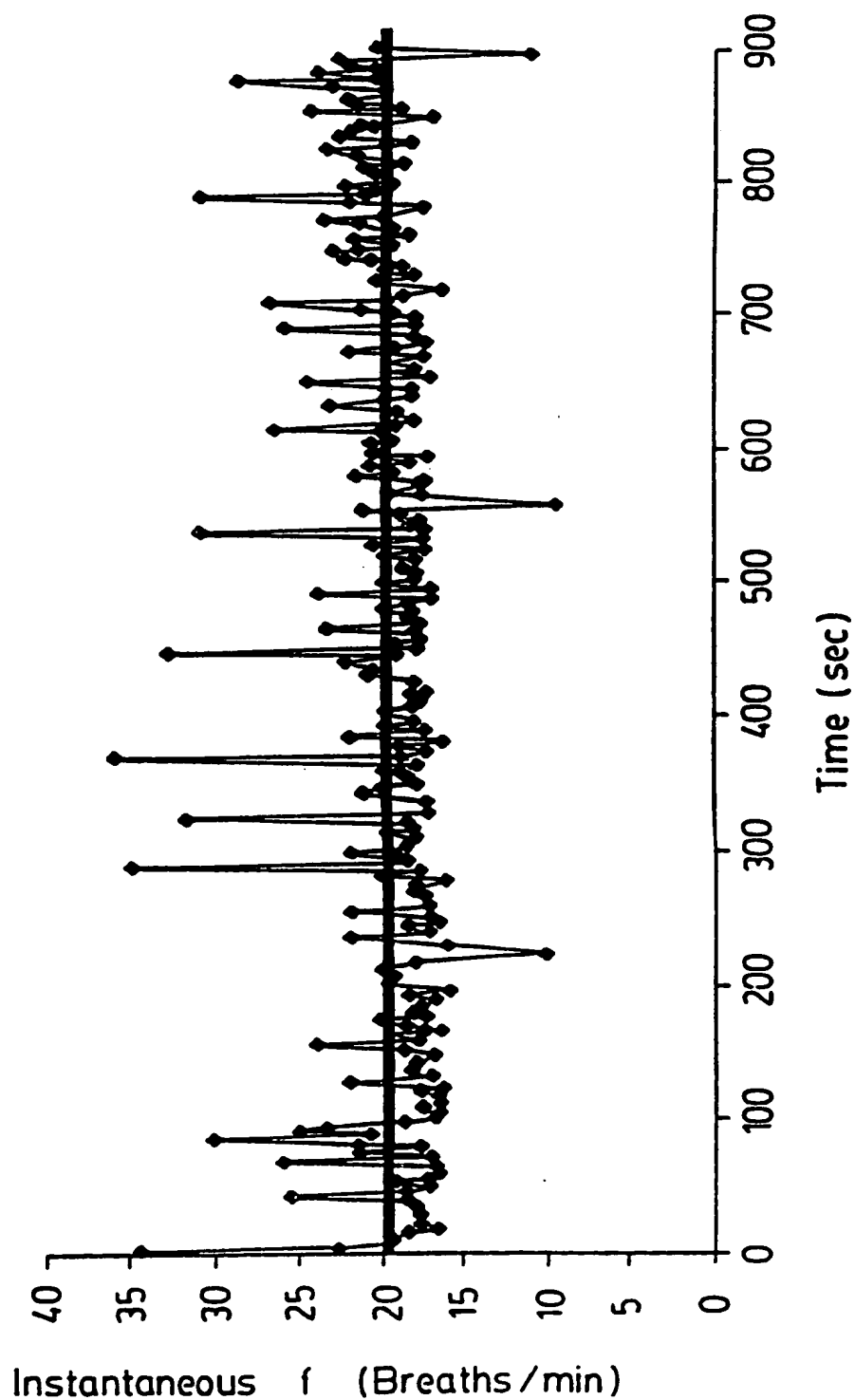
3/8



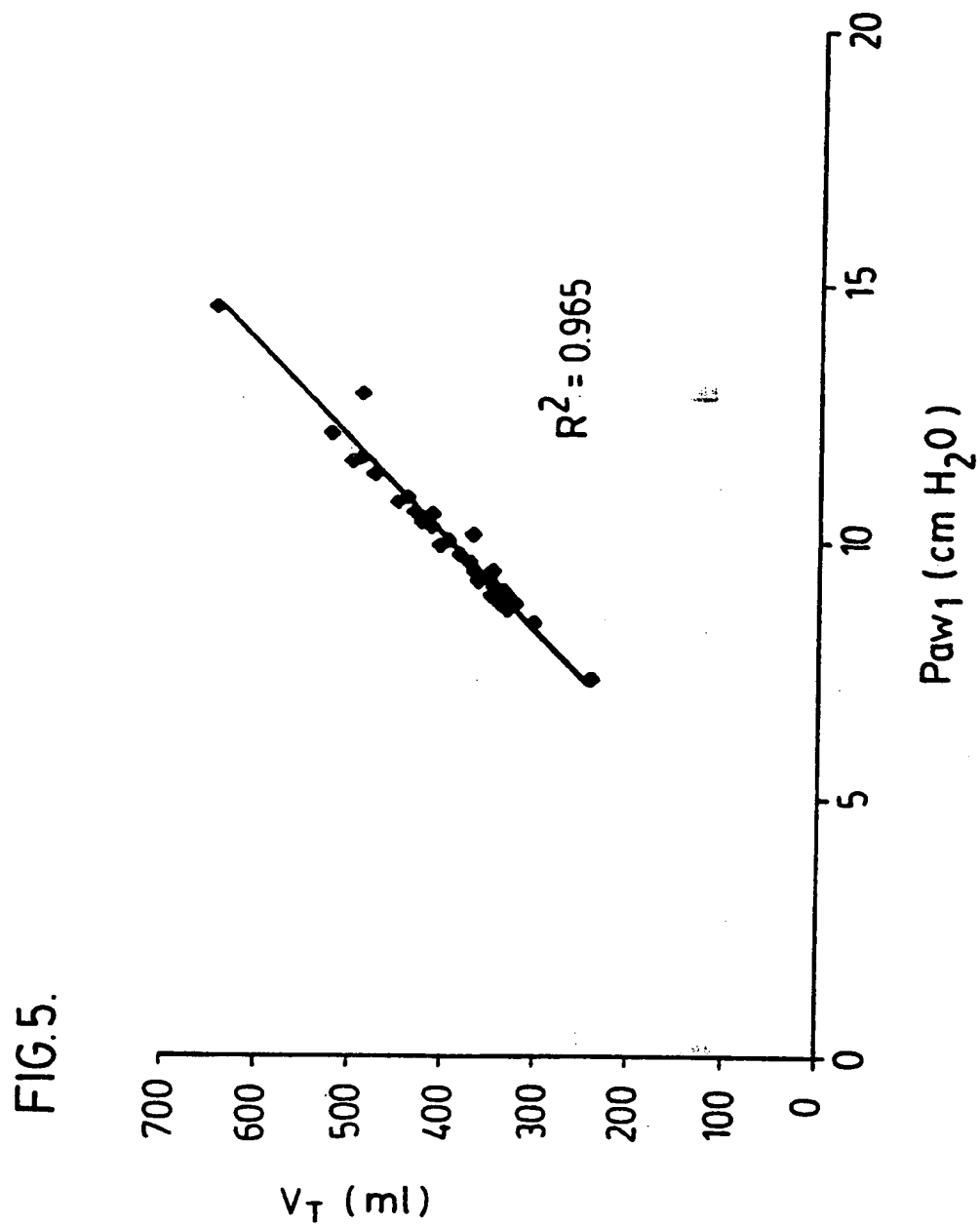


4/8

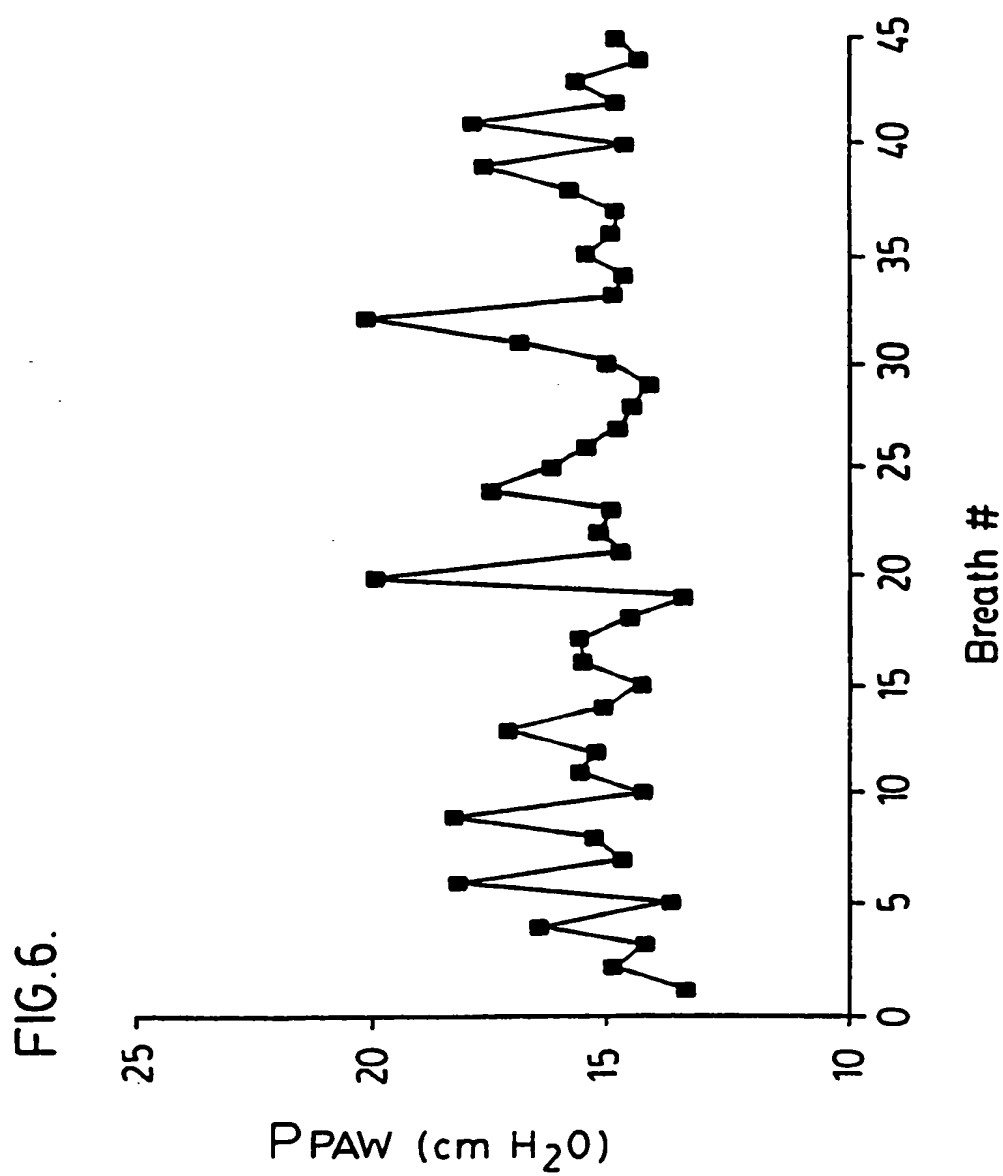
FIG. 4.



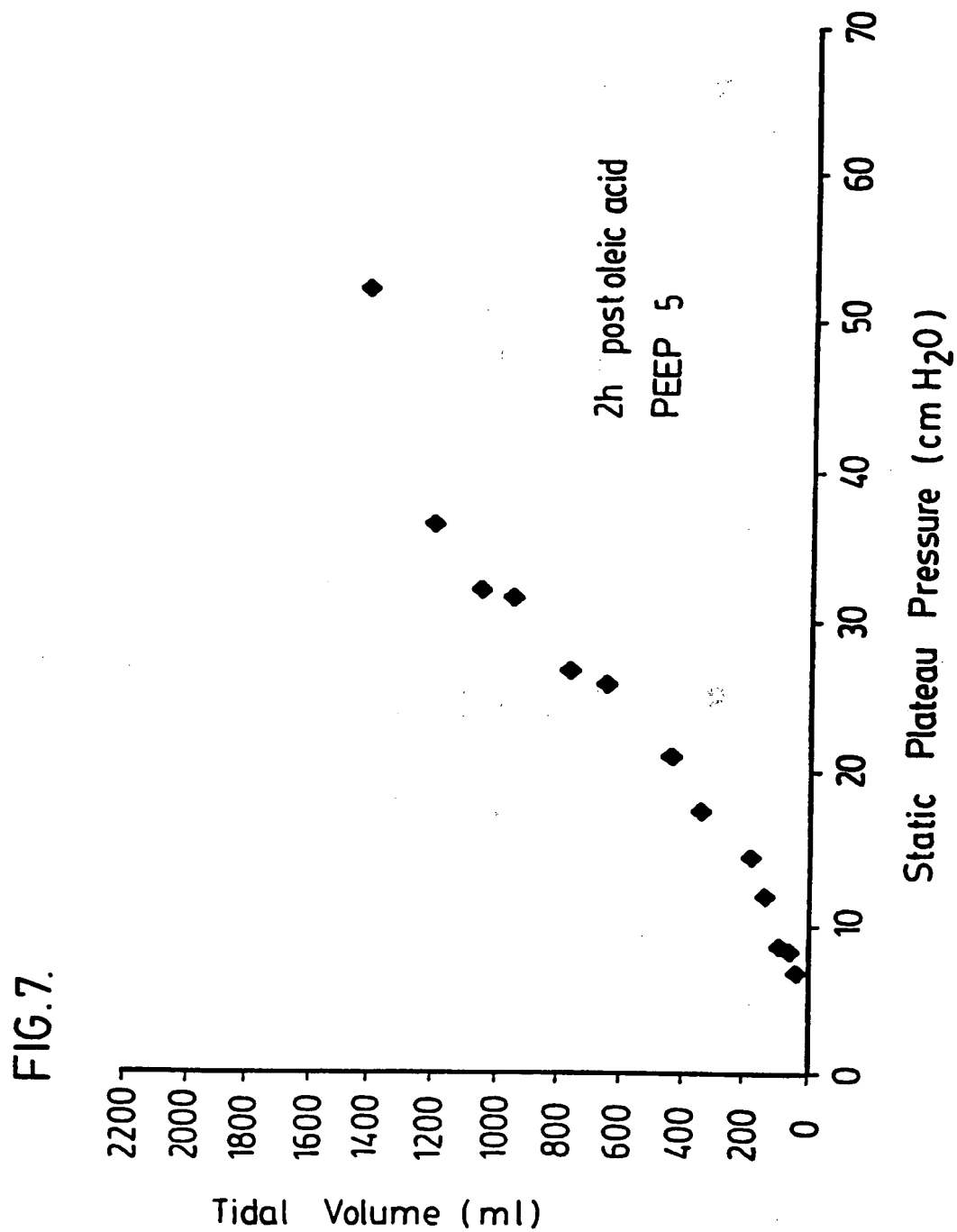
5/8



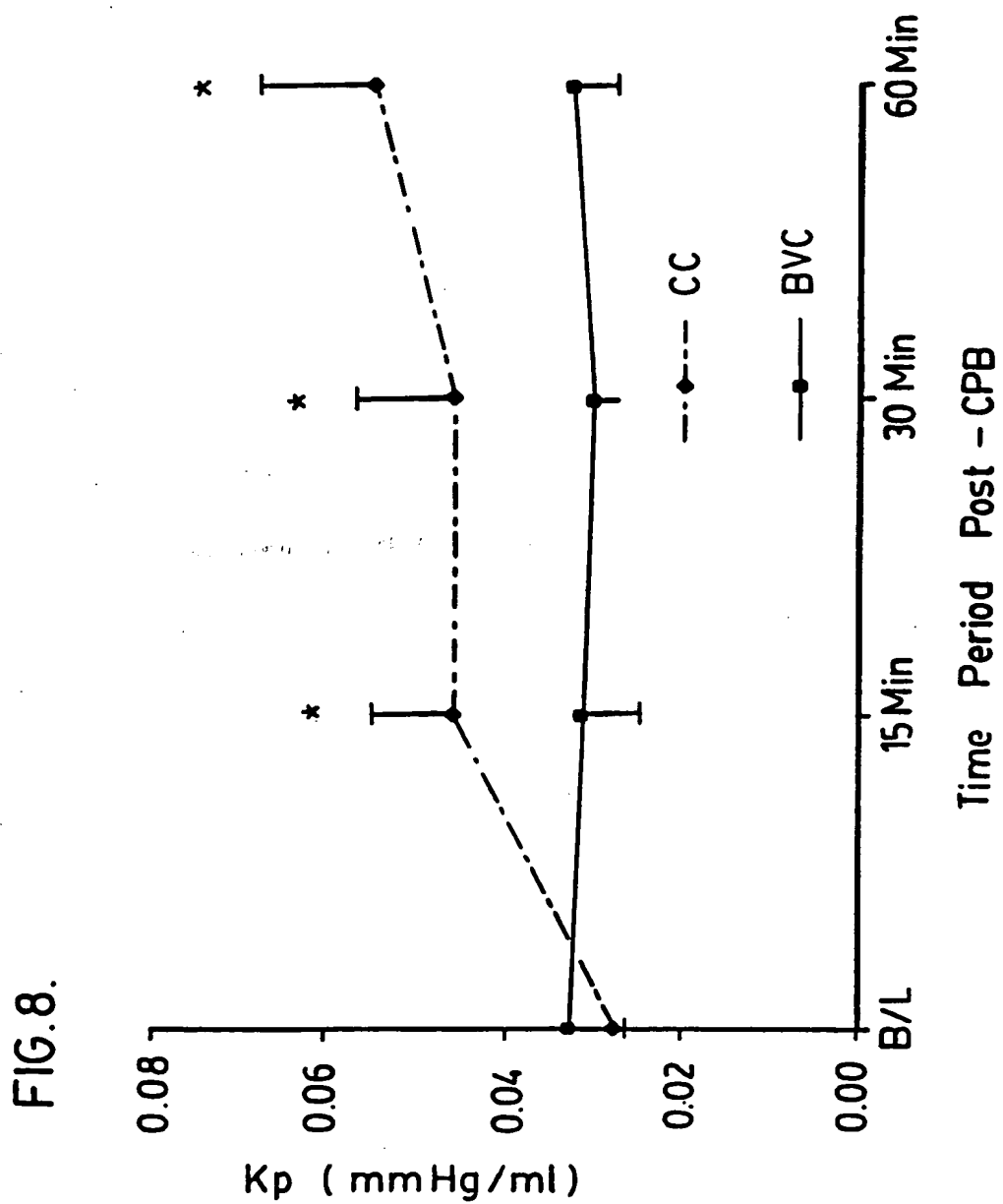
6/8



7/8



8/8



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